1-1 No, this is not a case of harmonic vibration. The only force acting on the ball is its weight  $(\underline{W}_g = -Mg\hat{y})$  apart from the force during the elastic collision with Earth (when ball reverses its velocity).

$$\frac{1-3}{P_{G}} = -\frac{GM_{E}M}{R_{E}+h}, \text{ with } h \ll R_{E}$$

$$P_{G} = -\frac{GM_{E}M}{R_{E}+h} = -\frac{GM_{E}M}{R_{E}\left(1+\frac{h}{R_{E}}\right)} = -\frac{GM_{E}M}{R_{E}}\left(1+\frac{h}{R_{E}}\right)^{-1}$$

$$= -\frac{GM_{E}M}{R_{E}}\left(1-\frac{h}{R_{E}}\right) = -\frac{GM_{E}M}{R_{E}} + \frac{GM_{E}M}{R_{E}^{2}}h$$
But  $\frac{GM_{E}}{R_{E}^{2}} = g$ 

So apart form constant  $P_g(h) = Mgh$ The large negative constant makes sure that you stay on Earth.

1-5 
$$k = k_1 + k_2 = 150 \text{ N/m}$$

- <u>1-7</u> f = 1.25 Hz
- <u>1-9</u> To double  $\omega$  reduce m by factor of 4. To double T<sub>o</sub> increase m by factor of 4.

1-11 
$$k = 420 \text{ N/m}$$

$$\frac{1-13}{12} \quad \omega = 6.28 \text{ rad/s, so } T = 1 \text{ sec.}$$

$$x = A \operatorname{Cos} \left( 6.28t + \frac{\pi}{3} \right)$$

$$\frac{\text{FIRST ZERO}}{\text{at } \frac{T}{12} = \frac{1}{12} \operatorname{sec.}} \qquad (m)$$

$$at \frac{4T}{12} = \frac{1}{3} \operatorname{sec.}$$

$$\frac{1}{12} \frac{4}{12} \frac{7}{12} \frac{10}{12} \qquad (t)$$

